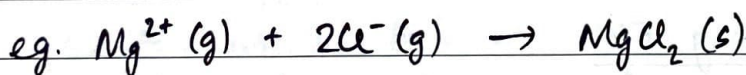


## CHEMICAL ENERGETICS

Enthalpy change ( $\Delta H$ ): Amount of heat energy transferred during a chemical reaction, at a constant pressure.

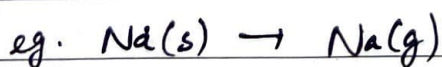
Lattice energy ( $\Delta H_{\text{latt}}$ ): Enthalpy change when 1 mole of ionic compound is formed from its gaseous ions, under standard conditions.

- always exothermic  $\because$  energy released when gaseous ions combine to form solid ionic lattice  $\Rightarrow$  -ve value
- large -ve value  $\because$  huge release in energy when gaseous ions combine.
- large -ve value  $\Rightarrow$  ionic compound much more stable than gaseous ions
  - $\rightarrow$  strong electrostatic forces of attraction btwn opp. charge ions in solid lattice vs. no electrostatic attraction btwn ions in gas state.
  - $\rightarrow$  more exothermic value  $\Rightarrow$  stronger ionic bonds in lattice.



Standard Enthalpy change of atomisation ( $\Delta H_{\text{at}}$ ): Enthalpy change when 1 mole of gaseous atoms is formed from its element in standard state, under standard conditions.

- always endothermic: energy required to break bonds btwn atoms of element to gaseous atoms  $\Rightarrow$  +ve value



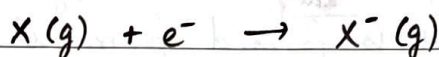
Standard conditions

- 298K

- 1 atm / 101 kPa

## Electron Affinity

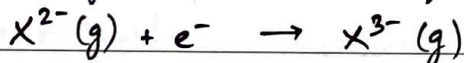
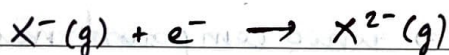
$EA_1$ : Enthalpy change when 1 mole of  $e^-$  is added to 1 mole of gaseous atoms to form 1 mole of gaseous ions, ~~under~~ standard conditions each with a single -ve charge, under standard conditions.



$EA_1$ : exothermic  $\Rightarrow$  -ve value

$\hookrightarrow$  energy released when adding  $e^-$

$EA_2, EA_3$ : successive electron affinities; represent formation of 1 mole of gaseous ions w/ 2- & 3- charges



$EA_2$  &  $EA_3$ : endothermic  $\Rightarrow$  +ve value

$\downarrow$

incoming  $e^-$  added to already -ve ion  $\therefore$  energy needed to overcome repulsion

## Factors affecting EA

- EA depends on how strongly nucleus attracts incoming  $e^-$ .
- stronger nuclear attraction  $\Rightarrow$  more energy released  $\Rightarrow$  EA more exothermic (more -ve)

- ① Nuclear charge  $\uparrow \Rightarrow$  Nuclear attraction  $\uparrow \Rightarrow$  More exo
- ② Atomic radius  $\uparrow \Rightarrow$  Nuclear attraction  $\downarrow \Rightarrow$  Less exo
- ③ Shielding  $\uparrow \Rightarrow$  Nuclear attraction  $\downarrow \Rightarrow$  Less exo

## Trends in EA

→ Across period:

- EA of non-metals more exo w/ max at Group 17.
- nuclear charge  $\uparrow \Rightarrow$  nuclear attraction  $\uparrow$
- more energy released  $\therefore$  EA, more exothermic.

→ Down group 16 & 17

- EA less exo down grp; exception: O & F (1st member)
- atomic radius  $\uparrow$ , shielding  $\uparrow \Rightarrow$  nuclear attraction  $\downarrow$
- less energy released  $\therefore$  EA, less exothermic

exceptions:

- O & F have v<sup>s</sup> small atomic radius  $\therefore$  high  $e^-$  density surrounding nucleus.
- Inc. repulsion btwn incoming  $e^-$  & existing  $e^-$ .
- Repulsion weakens nuclear attraction.
- ~~Thus~~  $\therefore$  EA, less exo than expected.

## Born-Haber Cycle

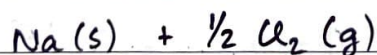
↳ to calc. lattice enthalpy, which cannot be found by exp.

$\uparrow$  endothermic; energy  $\uparrow$

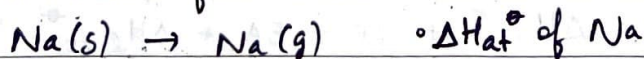
$\downarrow$  exothermic; energy  $\downarrow$

## Steps

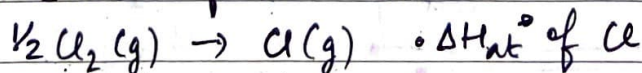
① Start w/ elements in standard state



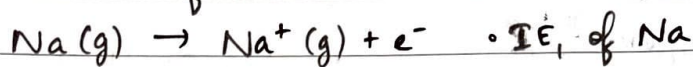
② Atomisation of metal



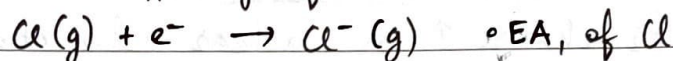
③ Atomisation of non-metal



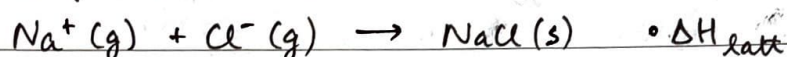
④ Ionisation of metal



⑤ Electron affinity of non-metal



⑥ Lattice formation

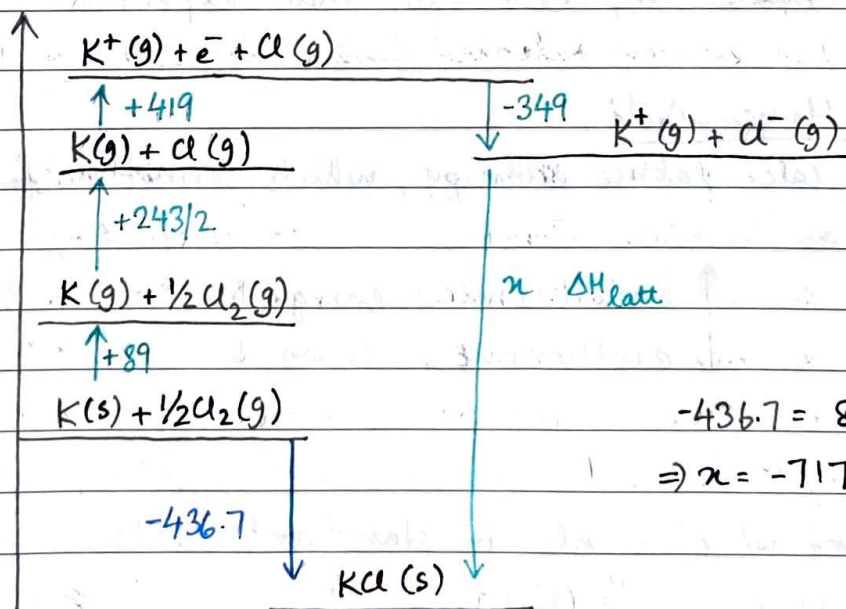


⑦ Link to enthalpy of formation

$$\Delta H_f^\ominus = \Delta H_{\text{at}}^\ominus(\text{Na}) + \Delta H_{\text{at}}^\ominus(\text{Cl}) + \Delta H_{\text{latt}}^\ominus + \text{IE}_1(\text{Na}) + \text{EA}_1(\text{Cl}) +$$

eg: ~~KCl~~ KCl

$\Delta H_{\text{at}}^\ominus(\text{K})$	$89 \text{ kJ mol}^{-1}$	$\text{K(s)} \rightarrow \text{K(g)}$
$\text{IE}_1(\text{K})$	$419 \text{ kJ mol}^{-1}$	$\text{K(g)} \rightarrow \text{K}^+(\text{g}) + \text{e}^-$
$\Delta H_{\text{at}}^\ominus(\text{Cl})$	$243 \text{ kJ mol}^{-1}$	$\frac{1}{2} \text{Cl}_2(\text{g}) \rightarrow \text{Cl(g)}$
$\text{EA}_1(\text{Cl})$	$-349 \text{ kJ mol}^{-1}$	$\text{Cl(g)} + \text{e}^- \rightarrow \text{Cl}^-(\text{g})$



$$\Delta H_f^\ominus = \Delta H_{\text{at}}^\ominus + \Delta H_{\text{at}}^\ominus + \text{IE} + \text{EA} + \Delta H_{\text{latt}}^\ominus$$

$$\Delta H_f^\ominus = \Delta H_1^\ominus + \Delta H_{\text{latt}}^\ominus$$

$$\Delta H_{\text{latt}}^\ominus = \Delta H_f^\ominus - \Delta H_1^\ominus$$

$\Delta H_1^\ominus$  = sum of enthalpy changes to convert the elements in standard states  $\rightarrow$  gaseous ions.

## Factors affecting lattice energy

- ① charge of ion } of ions in crystalline lattice  
 ② ionic radius }

→ Ionic charge  $\uparrow \Rightarrow$  more exothermic lattice energy

- ionic charge  $\uparrow \Rightarrow$  charge density  $\uparrow$
- stronger electrostatic forces of attraction btwn opp. charged ions.
- $\therefore$  more energy released when lattice formed.

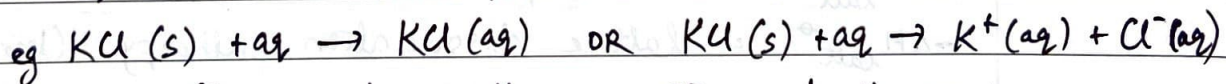
→ Ionic radius  $\uparrow \Rightarrow$  less exothermic lattice energy

- Ionic radius  $\uparrow \Rightarrow$  charge density  $\downarrow$  (charge spread over greater volume).
- Distance btwn centres of ions  $\uparrow$
- weaker electrostatic forces of attraction btwn opp. charged ions.
- $\therefore$  less energy released when lattice formed.

### Standard

Enthalpy change of solution ( $\Delta H_{sol}^{\ominus}$ ): Enthalpy change when 1 mole of an ionic substance dissolves in sufficient water to form a very dilute solution, under standard conditions.

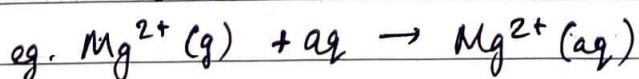
→ aq is used to show that solid is dissolved in water.



→  $\Delta H_{sol}^{\ominus}$  can be exothermic OR endothermic

### Standard

Enthalpy change of hydration ( $\Delta H_{hyd}^{\ominus}$ ): Enthalpy change when 1 mole of a specified gaseous ion dissolves in sufficient water to form a very dilute solution, under standard conditions.



\* Hydration enthalpy = measure of energy released when there is an attraction formed between the ions & water molecules - when hydrated ion forms.

- when ionic solid dissolves, splits into cations & anions

- water is polar:  $\delta^- O$  &  $\delta^+ H$

attracted to cations

attracted to anions

- these interactions form ion-dipole bonds between ions & water molecules.

→  $\Delta H_{hyd}^\ominus$  is exothermic.

### Energy cycles

• Route 1: solid ionic lattice → ions in aq. solution

$\Delta H_{sol}^\ominus$  (enthalpy change of solution)

• Route 2: solid ionic lattice → gaseous ions →

ions in aq. solution

-  $\Delta H_{latt}^\ominus + \Delta H_{hyd}^\ominus$  (reverse lattice enthalpy + hydration enthalpies of each ion)

\*  $\Delta H_{latt}^\ominus$  = lattice formation enthalpy (bond forming)

$-\Delta H_{latt}^\ominus$  = lattice dissociation enthalpy (bond breaking)

$$\Delta H_{sol}^\ominus = -\Delta H_{latt}^\ominus + \Delta H_{hyd}^\ominus$$

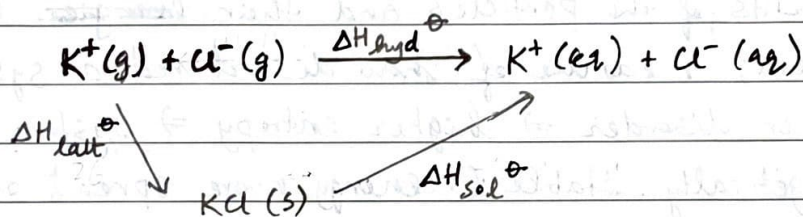
$$\Delta H_{hyd}^\ominus = \Delta H_{sol}^\ominus + \Delta H_{latt}^\ominus$$

eg. Energy cycle & energy level diagram to calculate  $\Delta H_{\text{hyd}}^{\ominus}$  of  $\text{Cl}^-$  ion in  $\text{KCl}$ .

$$\Delta H_{\text{latt}}^{\ominus}(\text{KCl}) = -711 \text{ kJ mol}^{-1}$$

$$\Delta H_{\text{sol}}^{\ominus}(\text{KCl}) = 26 \text{ kJ mol}^{-1}$$

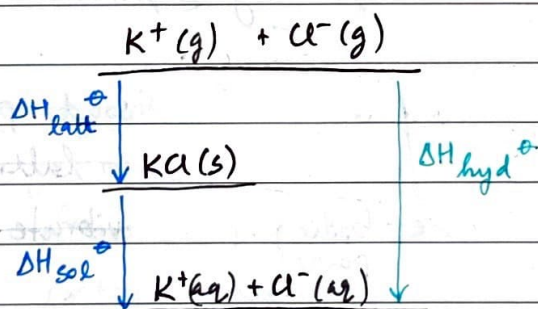
$$\Delta H_{\text{hyd}}^{\ominus}(\text{K}^+) = -322 \text{ kJ mol}^{-1}$$



$$\Delta H_{\text{hyd}}^{\ominus} = \Delta H_{\text{latt}}^{\ominus} + \Delta H_{\text{sol}}^{\ominus}$$

$$\Rightarrow -322 + x = -711 + 26 = -685$$

$$x = -685 + 322 = -363 \text{ kJ mol}^{-1}$$



### Factors affecting enthalpy of hydration

- ① Ionic charge
- ② Ionic Radius

→ Ionic charge  $\uparrow$   $\Rightarrow$  more exothermic hydration enthalpy

- ionic charge  $\uparrow$   $\Rightarrow$  charge density  $\uparrow$
- stronger ion-dipole interactions
- $\therefore$  more energy released during hydration

- Ionic radius  $\uparrow \Rightarrow$  less exothermic hydration enthalpy
- Ionic radius  $\uparrow \Rightarrow$  charge density  $\downarrow$
  - weaker ion-dipole interactions
  - less energy released during hydration

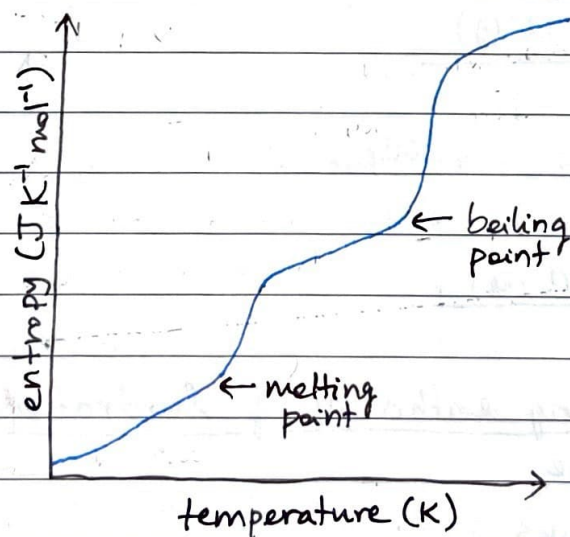
Entropy (S): Entropy of a given system = no. of possible arrangements of the particles and their ~~energy~~ energy in the system; measure of how disordered a system is.

↳ higher disorder  $\Rightarrow$  higher entropy  $\Rightarrow$  system more energetically stable ( $\because$  energy more spread out)

→ Entropy btwn physical states

order of entropy: gas  $>$  liquid  $>$  solid

\* some exceptions: eg.  $\text{CaCO}_3$  (solid) has higher entropy than mercury (liquid).



solid: particles fixed in lattice & can only vibrate

— solid  $\rightarrow$  liquid (melting) —

entropy  $\uparrow \because$  more movement of particles, particles more spread out, particles less ordered / more disorder, more ways of arranging energy.

→ Entropy and dissolving

→ Dissolving solid in solvent: entropy ↑

- particles less ordered, more spread out, ~~less ordered~~, more ways of arranging energy.

→ Crystallisation of salt from solution: entropy ↓

- particles more ordered, close together in lattice, fewer ways of arranging energy.

→ Factors affecting entropy

- complexity of substance: complex substances w/ more atoms have higher entropy than simple substances w/ fewer atoms. eg.  $\text{CaCO}_3 > \text{CaO}$

- hardness: harder substances have lower entropy than softer/less rigid substances of same type. eg. diamond < graphite

→ Entropy change in reactions

- gas molecules most disordered ∴ dominate entropy changes. if no. of gaseous molecules in reaction changes, entropy changes.

- no. of gas molecules ↑, no. of ways of arranging them ↑, entropy ↑

eg.  $\text{CaCO}_3(\text{s}) \rightarrow \text{CaO}(\text{s}) + \text{CO}_2(\text{g})$  Decomposition of  $\text{CaCO}_3$   
formation of gas increases disorder ∴ entropy ↑

$\text{N}_2(\text{g}) + 3\text{H}_2(\text{g}) \rightarrow 2\text{NH}_3(\text{g})$  Haber process

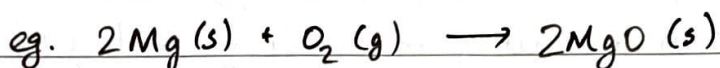
no. of gaseous molecules decreases from 4 to 2

∴ less disorder due to fewer ways of arranging energy ∴ entropy ↓

↳  $\text{N}_2$  &  $\text{H}_2$  are energetically more stable than  $\text{NH}_3$ .

$$\Delta S_{\text{system}}^{\ominus} = \sum S_{\text{products}}^{\ominus} - \sum S_{\text{reactants}}^{\ominus}$$

(standard ~~enthalpy~~ change of system.  
entropy)



$$S^{\ominus}[\text{Mg}(s)] = 32.60 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$S^{\ominus}[\text{O}_2(g)] = 205.0 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$S^{\ominus}[\text{MgO}(s)] = 38.20 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\begin{aligned} \Delta S_{\text{system}}^{\ominus} &= 2 \times 38.2 - (2 \times 32.6 + 205) \\ &= -193.8 \text{ J K}^{-1} \text{ mol}^{-1} \end{aligned}$$

Gibbs Free Energy ( $G$ ): energy change that takes into account both entropy change & enthalpy change of reaction.

$$\Delta G^{\ominus} = \Delta H_{\text{reaction}}^{\ominus} - \Delta S_{\text{system}}^{\ominus}$$

$$\Delta G^{\ominus} = \Delta H_{\text{reaction}}^{\ominus} - T \Delta S_{\text{system}}^{\ominus}$$

units:

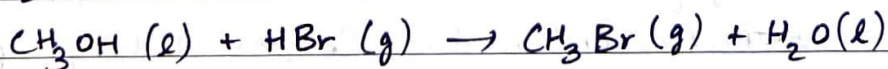
-  $\Delta G^{\ominus} = \text{kJ mol}^{-1}$

-  $\Delta H = \text{kJ mol}^{-1}$

-  $T = \text{K}$

-  $\Delta S = \text{J K}^{-1} \text{ mol}^{-1}$  REMEMBER to convert to  $\text{kJ K}^{-1} \text{ mol}^{-1}$   
 $\div 1000!$

eg. calc. Gibbs free energy for the following reaction at 298 K:



$$\Delta H_r^{\ominus} = -47 \text{ kJ mol}^{-1}$$

$$\Delta S^\circ [\text{CH}_3\text{OH}(\text{l})] = +240 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\Delta S^\circ [\text{HBr}(\text{g})] = +99 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\Delta S^\circ [\text{H}_2\text{O}(\text{l})] = +70 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\Delta S^\circ [\text{CH}_3\text{Br}(\text{g})] = +246 \text{ J K}^{-1} \text{ mol}^{-1}$$

$$\begin{aligned} \Delta S_{\text{system}}^\circ &= \sum S_{\text{products}}^\circ - \sum S_{\text{reactants}}^\circ \\ &= 246 + 246 + 70 - 240 - 99 - 99 = -23 \text{ J K}^{-1} \text{ mol}^{-1} \\ &= -0.023 \text{ kJ K}^{-1} \text{ mol}^{-1} \end{aligned}$$

$$\begin{aligned} \Delta G^\circ &= \Delta H_{\text{reaction}}^\circ - T \Delta S_{\text{system}}^\circ \\ &= -47 - 298(-0.023) = -40.1 \text{ kJ mol}^{-1} \end{aligned}$$

### Reaction feasibility

- when  $\Delta G^\circ$  is -ve, reaction is feasible & likely to occur.
- when  $\Delta G^\circ$  is +ve, reaction is not feasible & unlikely to occur.

### Reaction feasibility & Temperature changes

↳ feasibility is affected by temperature.

	$\Delta H$	$\Delta S$	$\Delta G$	Spontaneous?	Explanation
(i)	-ve	+ve	always -ve	always	both terms -ve
(ii) <u>exothermic</u>	-ve	-ve	-ve at low T, +ve at high T	only at low T	1st term -ve & 2nd term +ve. At high T, second term becomes large +ve & outweighs 1st
(iii)	+ve	-ve	always +ve	never	both terms +ve
(iv) <u>endothermic</u>	+ve	+ve	+ve at low T, -ve at high T	only at high T.	1st term +ve & 2nd -ve. At high T, 2nd becomes large negative & outweighs first.

$$\Delta G = \underbrace{\Delta H_{\text{reaction}}}_{\text{first term}} - \underbrace{T\Delta S_{\text{system}}}_{\text{second term}}$$

This corresponds to Le Chatelier's Principle:

- for exothermic reactions,  $T \uparrow$  causes eq. position to shift in favour of reactants (in endothermic direction)
  - for exo, products not formed at high temp.
  - not feasible at high temp.
- for endothermic reactions,  $T \uparrow$  causes eq. position to shift in favour of products.
  - for endo, products formed at high temp.
  - feasible at high temp.